



COMPUTER SCIENCE Optative vs. indicative mood Indicative: describes how things in the world are regardless of the behavior of the system "Each seat is located in one and only one theater." Optative: describes what you want the system to achieve "Better seats should be allocated before worse seats at the same price." Principle of uniform mood Indicative and optative properties should be entirely separated in a document Reduces confusion of both the authors and the readers Increases chances of finding problems If the software works right, both sets of properties will hold as facts UNIVERSITY OF MASSACHUSETTS AMHERST · DEPARTMENT OF COMPUTER SCIENCE. CMRSci 520/620/Fall 20



COMPUTER Natural Language

Advantages

.

- Easy to train users
- Clarity is possible (but may be difficult)
- Completeness is possible (but by no mean assured)
- Easily modified
- It is the "least common denominator"
- Disadvantages
 - Determining consistency between natural language artifacts and anything else is hard/subjective
 - Ambiguity in natural language is easy and often intentional
 - Clear natural language expression is very difficult
 - The longer the text, the more information, the more the risk of inconsistency, the harder it is to determine
 - No way of knowing when a specification is "complete"

UNIVERSITY OF MASSACHUSETTS AMHERST DEPARTMENT OF COMPUTER SCIENCE. CMRSci 520620/FALL 20







COMPUTER Declarative vs. Imperative

- Declarative specification
 - Pre and postcondition pairs, where
 - a precondition is a condition on the input and system state at the start of executing the function and the postcondition is a condition on the output and the system state after the execution of the function.
 - Implementation independent, but under specifies

UNIVERSITY OF MASSACHUSETTS AMHERST · DEPARTMENT OF COMPUTER SCIENCE. CMRSci 520620 Fac. 200

- Imperative specification
 - describe the activities to be performed to get from the input and initial system state to the output and resulting system state.
 - Leads to executable specification, but over specifies by giving an implementation

COMPUTER Declarative Event flow input: start heating Data flow input:batch ID But what about state Data store input: ALLOCATION OF BATCH TO COOKING TANK of other data? HEATER OF COOKING TANK RECIPE OF BATCH Event flow output: start controlling Data store output: TEMPERATURE RAMP DATA Precondition 1: batch ID occurs exactly once in ALLOCATION OF BATCH TO OOKING TANK and allocation of batch is cooking tank ID and recipe for batch ID occurs in RECIPE OF BATCH with and time and end temperature Postcondition 1: new(ramp ID) + batch ID + cooking tank ID + heater ID + end time + end temperature exists in TEMPERATURE RAMP DATA Precondition 2: batch ID does not occur exactly once in ALLOCATION OF BATCH TO COOKING TANK Postcondition 2: error Precondition 3: recipe for batch ID does not occur in RECIPE OF BATCH temperature Postcondition 3: error Figure 17. A declarative specification. ACM Computing Surveys, Vol. 30, No. 4, December 1998 UNIVERSITY OF MASSACHUSETTS AMHERST DEPARTMENT OF COMPUTER SCIENCE. CMRS0:520620.FALL 2003





















COMPUTER Graphs

- A graph, G = (N, E), is an ordered pair consisting of a node set,
 - N, and an edge set, $E = \{(n_i, n_i)\}$
 - •If the pairs in E are ordered, then G is called a directed graph, and is depicted with arrowheads on its edges
 - If not, the graph is called an undirected graph
- Graphs provide a mathematical basis for reasoning about s/w
- Graphs are suggestive devices that help in the visualization of relations. The set of edges in the graph are visual representations of the ordered pairs that compose relations

UNIVERSITY OF MASSACHUSETTS AMHERST · DEPARTMENT OF COMPUTER SCIENCE. CMRSci 520620 Fac. 200

EXAMPLE Relations: A relation, R, over a set, $S = \{s_i\}$ is a set of ordered n-tuples $R = \{r_i\}$, where $r_i = (s_{i,1}, s_{i,2}, ..., s_{i,n})$ A binary relation is a relation where all the tuples are 2-tuples If (s_i, s_j) is an element of R, then we often write $s_iR s_j$ Another view of relations: The relation, R, over the set S can be defined as: $R = \{(s_i, ..., s_j) \mid PRED(s_i, ..., s_j) = True$, for some predicate, PRED} If the tuples are ordered, the relation is called an ordered relation If the tuples, $< t_{i,1}, t_{i,2}, ..., t_{i,n} >$ are unordered, the relation is an unordered relation

UNIVERSITY OF MASSACHUSETTS AMHERST + DEPARTMENT OF COMPUTER SCIENCE. CMRSci 520/820 Fact 2008



COMPUTER Science	Some Examples
	Let I = {all integers}, Define Q= { (x,y,z) x, y, z are integers and y = x^{**2} , z = x^{**3} }
	Let S = {all states of the U.S., S _i }, Define B = { $(S_i, S_j) S_i$ and S_j share a border}
	Let L = {all statements L_i in a program, P}, Define ImmFol = {(L_i , L_j) the execution of L_j may immediately follow the execution of L_i for some execution of P}

COMPUTER Flowgraphs

- Let S = {all statements s_i in a program, P}; and let ImmFol = { (s_i, s_j) | The execution of s_j immediately follows the execution of s_i for some execution of P }
- Then FG = (S, ImmFol) is called the **flowgraph** of P
 - •FG is an ordered graph
 - Every execution sequence (ie. the sequence in which the statements of P are executed for a given execution of P) corresponds to a path in FG.
 - However, the converse is not true. A path through FG may not correspond to an execution sequence for P

UNIVERSITY OF MASSACHUSETTS AMHERST DEPARTMENT OF COMPUTER SCIENCE. CMRSci 520(620) FALL 200

A loop in P appears as a cycle in FG



COMPUTER Some Properties of Relations

- Some familiar properties of ordered binary relations, R, over the set S={s_k}:
 - •Symmetry: $s_i R s_j ==> s_j R s_i$ for all pairs, s_i and s_j in S
 - Reflexivity: s R s, for all s in S
 - •Transitivity: $s_i R s_j$ and $s_j R s_k ==> s_i R s_k$, for all s_i , s_j and s_k in S
 - •A relation that is symmetric, reflexive and transitive is called an equivalence relation
 - If R = {(s_i, s_j)} is transitive, then C={(s_a, s_b)| there exists a sequence, i1, i2, ..., in, such that $s_a=s_{i1} R s_{i2}, s_{i2} R s_{i3}, ...$
 - $s_{in-1} R s_{in} = s_b$ is called the transitive closure of R

UNIVERSITY OF MASSACHUSETTS AMHERST · DEPARTMENT OF COMPUTER SCIENCE. CMRSci 520/620/Fall 20

- •Antisymmetry: $s_i R s_j == > \sim (s_j R s_i)$ for all pairs, s_i and s_j in S
- Irreflexivity: s ~R s for all s in S



COMPUTER Paths

- A *path,* P, through an *ordered graph* G=(N,E) is a sequence of edges, $(< n_{i,1}, n_{j,1} >, < n_{i,2}, n_{j,2} >, ..., < n_{i,t}, n_{j,t} >)$ such that $n_{j,k-1} = n_{i,k}$ for all $2 \le k \le n$
- A **path**, UP, through an *unordered graph* UG=(N,U) is a sequence of edges, (<n _{i,1}, n _{j,1} >, <n _{i,2}, n _{j,2} >, ..., <n _{i,t}, n _{j,t} >) such that all of the <n _{i,z}, n _{j,z}> can be ordered to assure that n _{j,z-1} = n _{i,z} for all $2 \le k \le n$
 - In either case, n $_{i,1}\,$ is called the start node and n $_{j,t}$ is called the end node.
- The length of a path is the number of edges in the path A **graph** G is **connected** if and only if, for every pair of nodes, n_1 , n_2 , there is path from one of them to the other with G considered to be an unordered graph.

UNIVERSITY OF MASSACHUSETTS AMHERST . DEPARTMENT OF COMPUTER SCIENCE. CMRSci 520620 FALL 20







































COMPUTER Some dataflow relations

- DataFlow(i, j) if node i creates data that node j uses
- Input(n) if n is a node that supplies initial input data
- Output(n) if n is a node that transmits data to end users
- EdgeAnnotation(e, text) if the string text describes the data that flows along edge e
- NodeAnnotation(n, text) if the string text describes the functioning of node n
- Questions this helps answer:

UNIVERSITY OF MASSACHUSETTS AMHERST · DEPARTMENT OF COMPUTER SCIENCE

- •Why create this data? Who uses this data? What results does the end user see? What does the end user have to input?
- •Questions this can't answer: What is the exact sequence of events? How does a node do its job?

CMRSCI 520/620 FALL 200







COMPUTER Dataflow graphs & slices

Uses

- Data flow coverage criteria for selecting test cases
 - coverage criteria exercise subsets of control and data dependencies in the hope of exposing faults
- debugging:
 - which statements could have caused an observed failure?
- maintenance:
 - which statements will be affected by a change?
 - which statements could affect this statement?
- dependence analysis
 - program dependencies provide a theory for restricting/focusing attention
- Problems
 - in practice, a program slice is often too big to be useful
 - Infeasible paths lead to imprecision
 - complex data structures lead to imprecision

UNIVERSITY OF MASSACHUSETTS AMHERST + DEPARTMENT OF COMPUTER SCIENCE / CMRSQ 520620/FALL 20



COMPUTER Types of graphs

- Differences in graphs result from different choices for nodes & relations
- Hierarchy:
 - Models "consists of" or "is a part of"
 - Key to divide-and -conquer approaches to understanding
- Data Flow:
 - Nodes represent set of sites where data is generated/used
 - Each edge is a (data generated, data used) node pair
- Control Flow:
 - Nodes represent units of functionality
 - (n1, n2) is an edge in this graph if and only if unit n2 can execute immediately after n1 executes

UNIVERSITY OF MASSACHUSETTS AMHERST DEPARTMENT OF COMPUTER SCIENCE. CMRSci 520620/FALL 20























COMPUTER Stakeholder Concerns Buyer (Juice Company) Before development: What should it do? How to improve productivity? Quality? During development: What will it do? What heat control algorithms to use? - How to plan for expansion? More cookers, more storage, more recipes. ... Is the project on time? After development, before delivery: What does it do? Does it do what it was intended to do? Software developer: How should it be developed? What is the system architecture? . What sensors, algorithms to use? User (plant workers): Does it improve job performance, maintain job security? Safety Inspector: Is it safe? UNIVERSITY OF MASSACHUSETTS AMHERST · DEPARTMENT OF COMPUTER SCIENCE. CMRSci 520/620 Fall 200









